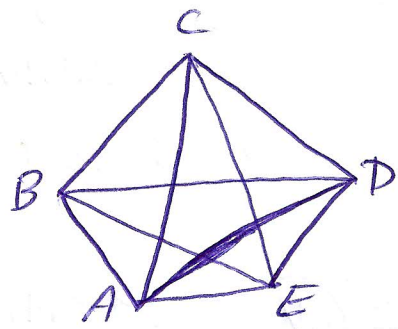


#40 P 263



$$\left. \begin{array}{l} \overline{AB} \parallel \overline{EC}, \overline{AC} \parallel \overline{ED} \\ \overline{AB} \cong \overline{ED}, \overline{AC} \cong \overline{EC} \end{array} \right\}$$

$$\left. \begin{array}{l} \angle DEC \cong \angle ECA \\ \angle ECA \cong \angle BAC \end{array} \right\}$$

$$\angle DEC \cong \angle BAC$$

$$\triangle DEC \cong \triangle BAC$$

$$\overline{BC} \cong \overline{CD}, \angle BCA \cong \angle DCE$$

$$m\angle BCA = m\angle DCE$$

$$m\angle BCA + m\angle ACE = m\angle DCE + m\angle ACE$$

$$m\angle BCE = m\angle DCA$$

$$\angle BCE \cong \angle DCA$$

$$\triangle BCE \cong \triangle DCA$$

$$\overline{AD} \cong \overline{EB}$$

Given

Alt. int. \angle s Th.

Trans. prop of \cong
SAS Post

CPCT

Def of \cong \angle s

Addition prop of =
 \angle s addition Post.

Def of \cong \angle s

SAS Post

CPCT

#37 P262

Given: $\overline{MN} \cong \overline{KN}$

$\angle PMN \cong \angle NKL$

Prove: $\angle 1 \cong \angle 2$

$\overline{MN} \cong \overline{KN}$, $\angle PMN \cong \angle NKL$

$\angle MNP \cong \angle KNL$

$\triangle PMN \cong \triangle LKN$

$\overline{MP} \cong \overline{KL}$, $\angle MPJ \cong \angle KQL$

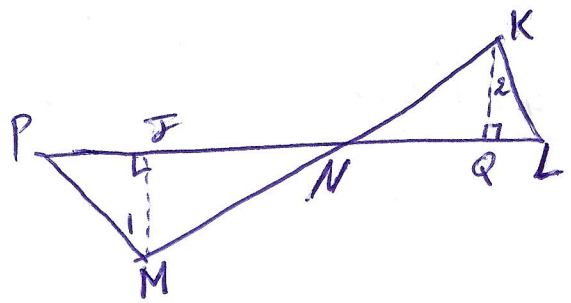
$\overline{MJ} \perp \overline{PN}$, $\overline{KQ} \perp \overline{LN}$

$\angle KQL$ and $\angle MJP$ are right \angle

$\angle KQL \cong \angle MJP$

$\triangle MJP \cong \triangle KQL$

$\angle 1 \cong \angle 2$



Given

vertical $\angle \cong$ Th.

ASA Post.

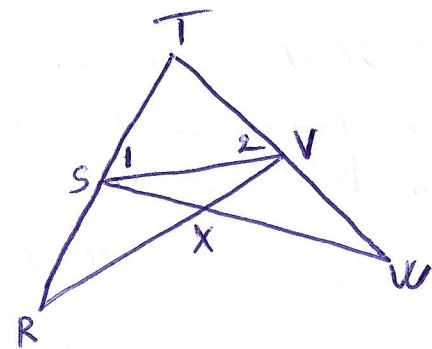
CPCT

Given in diagram
 \perp lines intersect
to form 4 right \angle .

Right $\angle \cong$ Th.

AAS Th.

CPCT



Given

Def. of \cong seg.

seg. addition Post

subst. Prop. of =

Trans. prop. of =

Def. of \cong seg.

Reflex. prop. of \cong

SAS Post.

CPCT

Reflex. prop. of \cong

SSS
Def of suppl. \angle .

\cong suppl. Th.

#38 P262

Given: $\overline{TS} \cong \overline{TV}$
 $\overline{SR} \cong \overline{VW}$

Prove: $\angle 1 \cong \angle 2$

$\overline{TS} \cong \overline{TV}$, $\overline{SR} \cong \overline{VW}$

$TS = TV$, $SR = VW$

$TS + TR = TR$, $TV + VW = TW$

$TV + SR = TR$, $TV + SR = TW$

$TR = TW$

$\overline{TR} \cong \overline{TW}$

$\angle RTV \cong \angle WTS$

$\triangle RTV \cong \triangle WTS$

$\overline{RV} \cong \overline{WS}$

$\overline{SV} \cong \overline{VS}$

$\triangle RSV \cong \triangle WVS$

$\angle RSV \cong \angle 1$, $\angle WVS$ and $\angle 2$ are suppl. \angle

$\angle 1 \cong \angle 2$